

# Using nonstationary stock assessment models to diagnose meaningful ecosystem indicators

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## Collaborators:

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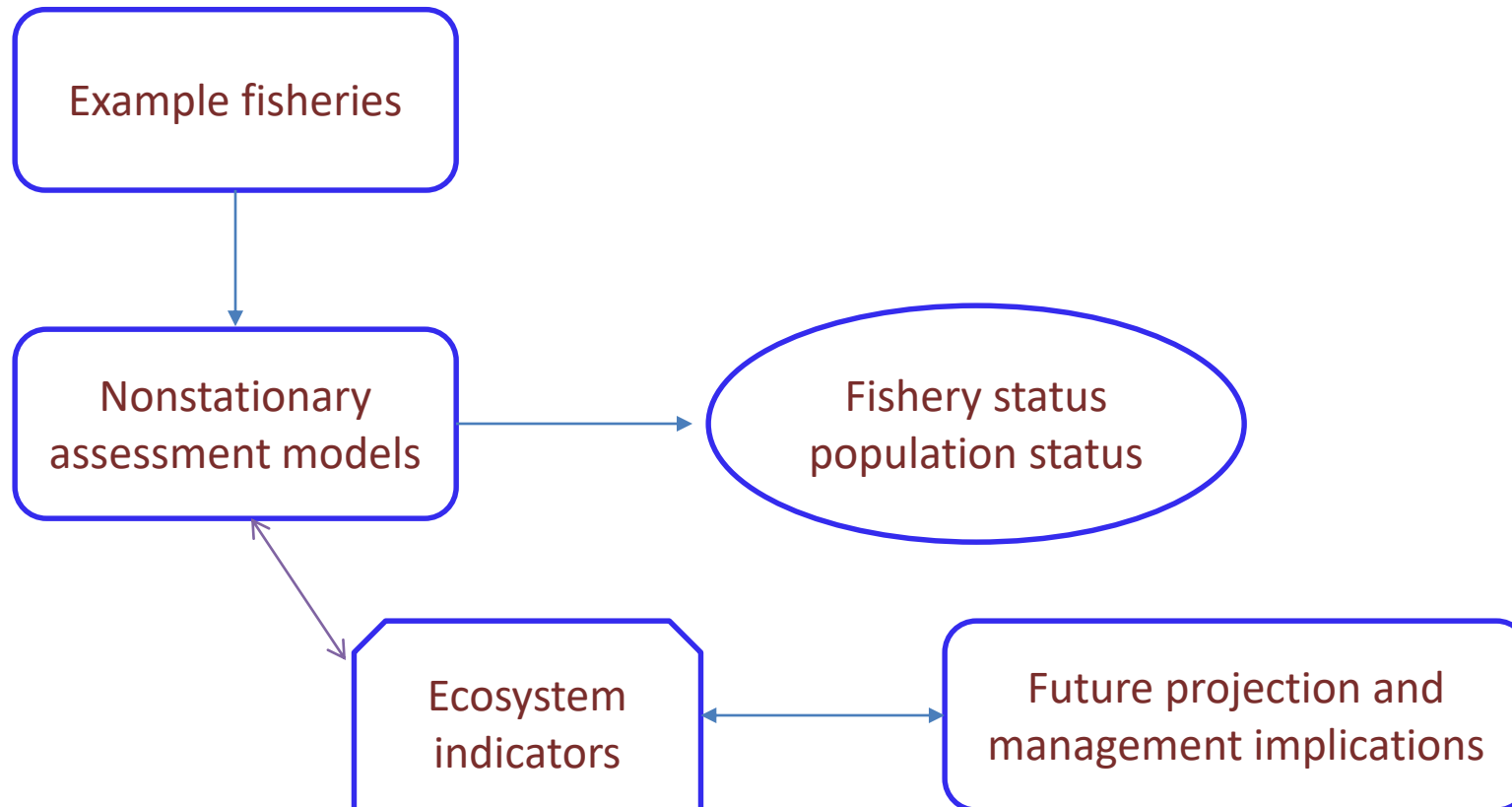
Rob O'Reilly, Virginia Marine Resources Commission

Eric Smith, Virginia Tech

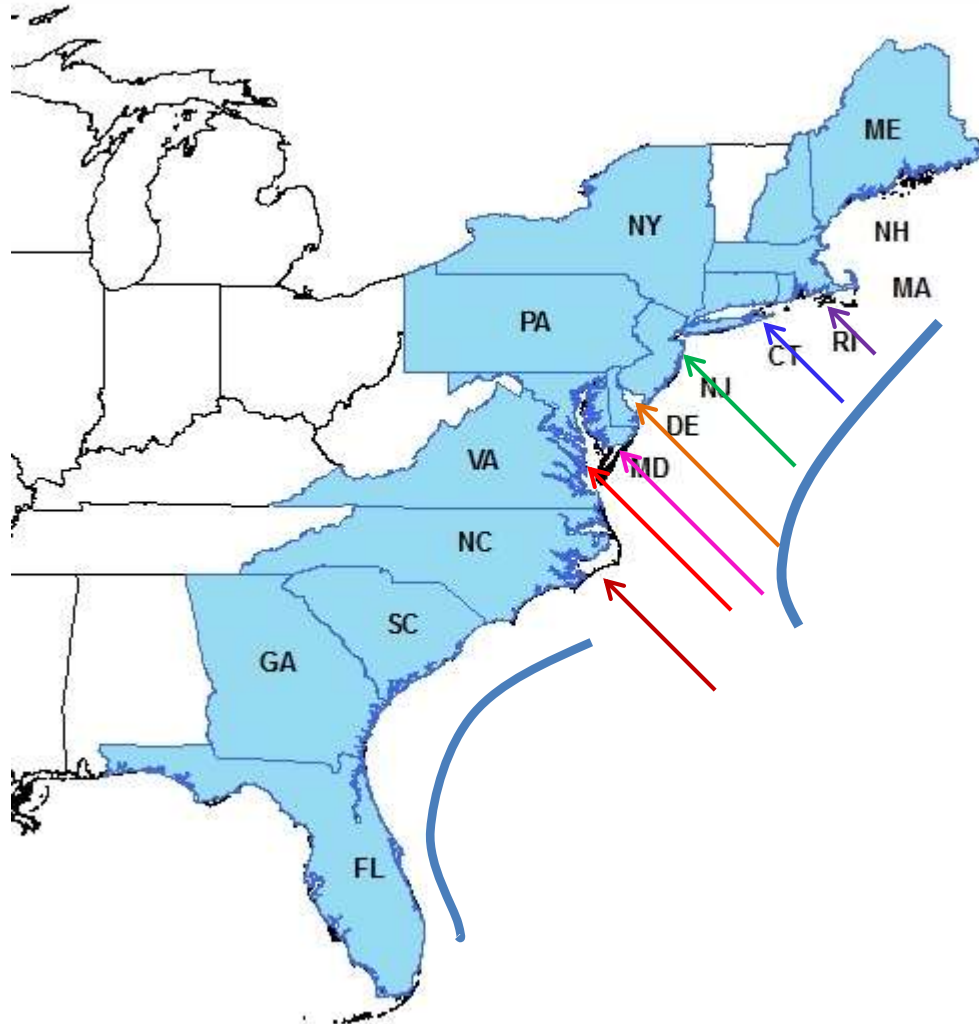
# Background

- Rationale of nonstationarity in spatial and temporal dynamics
  - Species interaction (example weakfish related studies ASMFC 2006; NEFSC 2009)
  - Environmental impact
  - Intrinsic biological processes
- A strategy of ecosystem considerations ~ unclear driving factors or inconsistent correlations
  - **Inconsistent** abundance indices **in trends**
  - **Likely changed** population productivity, key life-history processes, and spatial distribution
- Challenges in using nonstationary stock assessment models for management purposes

# Outline



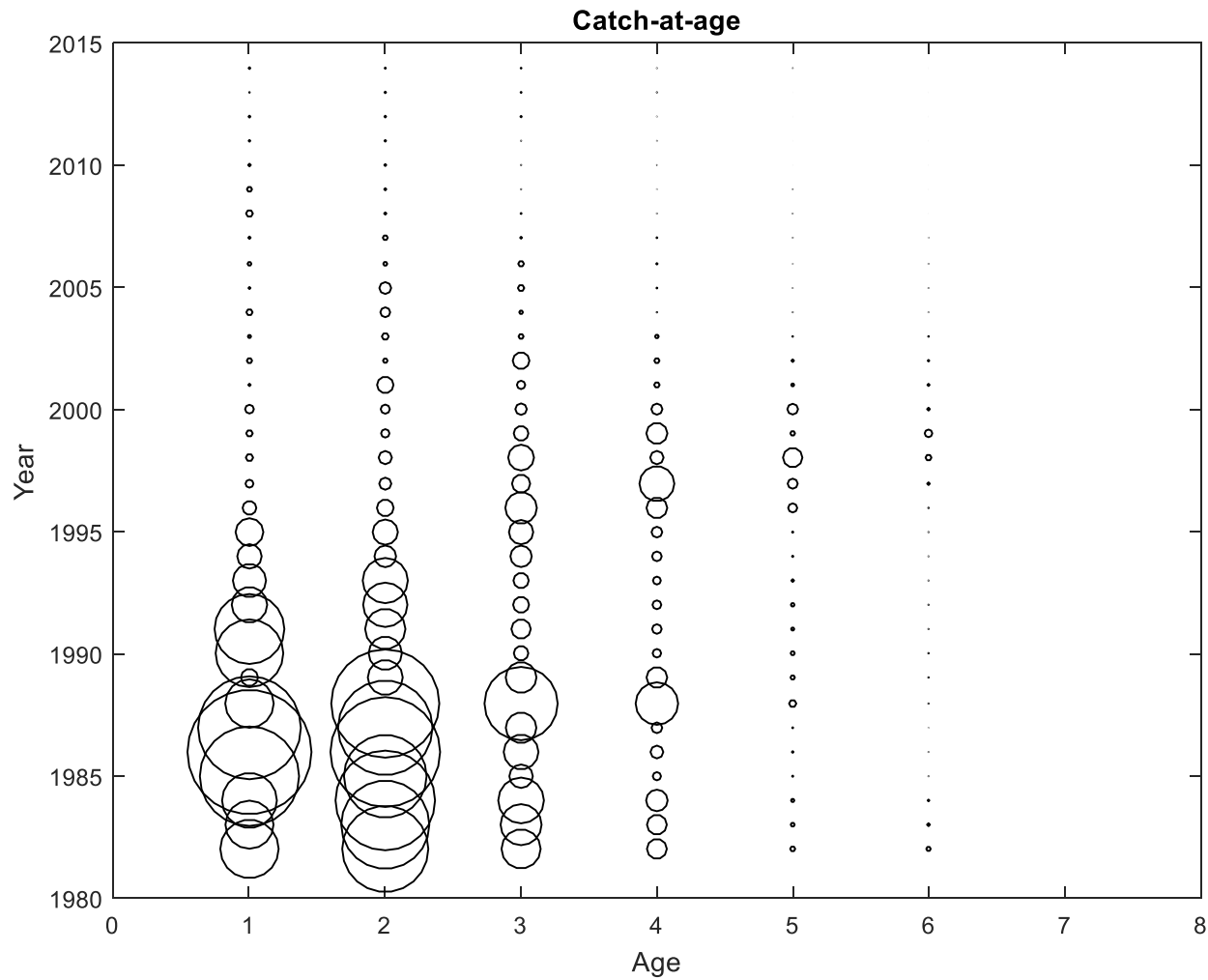
# Atlantic weakfish fishery



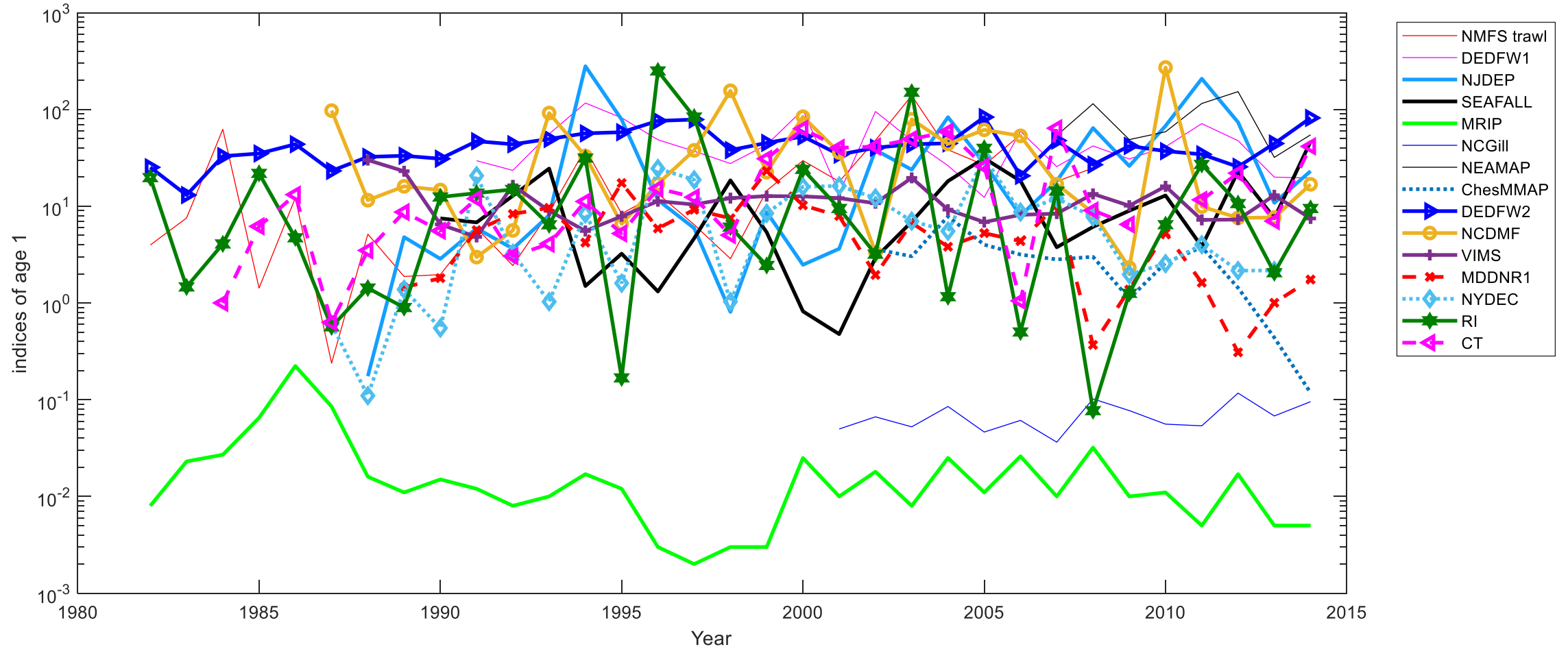
## Data

- Catch (recreational + commercial + discarding)
- Relative abundance indices
  - Age 1+ (age structured; 6 by 2007 and 8 in 2019 )
  - YOY (7 age 0 indices in year  $t$ , used to calibrate age 1 in year  $t+1$ )

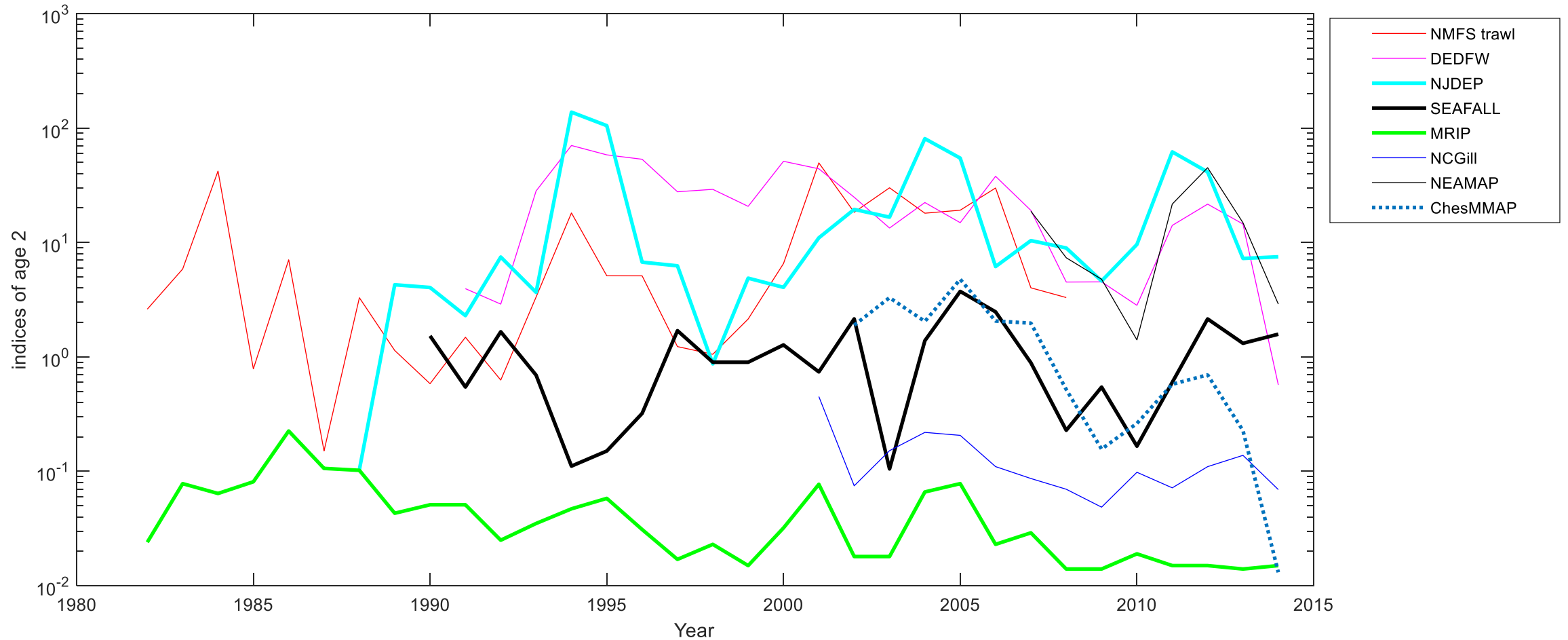
# Data - Catch



# Data – relative abundance indices

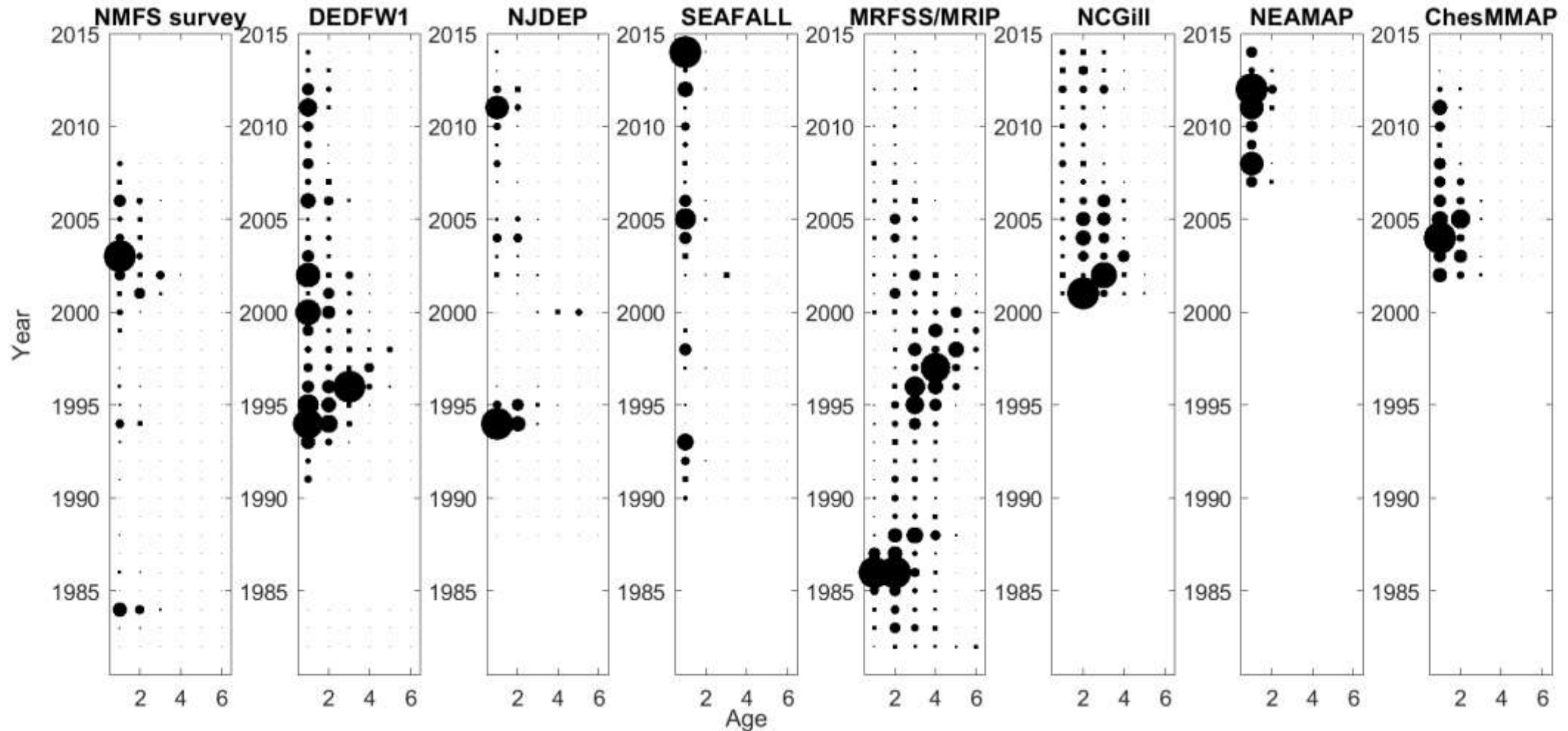


# Data - relative abundance indices





# Data - relative abundance indices

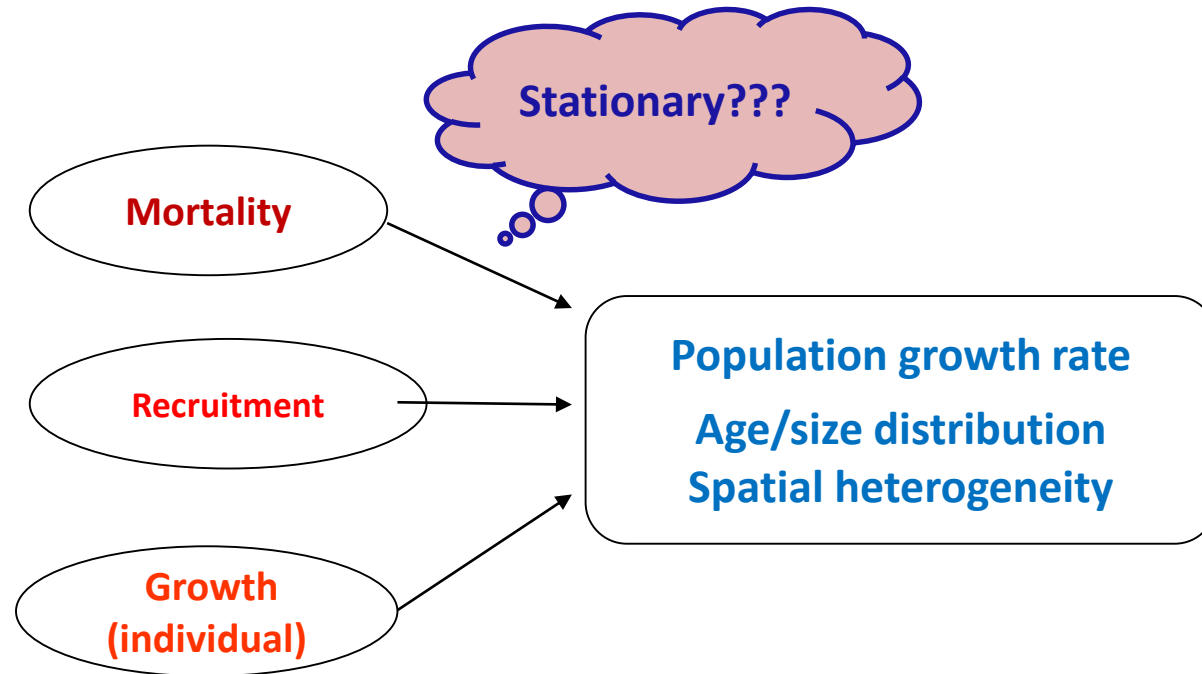


## Relative abundance indices correlations (after standardization)

NMFS	MRFSS	SEAMAP	RI	NJ	DE	MD	NC
1	-0.117	0.201	0.212	0.139	0.179	-0.254	-0.716
	1	-0.383	-0.091	0.321	0.688	0.074	0.495
		1	0.152	-0.053	-0.159	-0.195	0.153
			1	0.293	0.213	-0.158	0.180
				1	0.259	-0.172	-0.168
					1	-0.334	0.544
						1	0.155
							1

# Nonstationary population dynamics

- How to reflect/model nonstationary dynamics in age structured models?



## SCA models to start

***Need to develop new nonstationary models which can test the hypotheses of nonstationary spatial dynamics? Also changes in  $M$***

$$\text{Ln}(N_{a+1,y+1}) = \text{Ln}(N_{a,y} e^{-F_{a,y} - M})$$

$$\text{Ln}(C_{a,y}) = \text{Ln}\left[\frac{F_{a,y}}{F_{a,y} + M} N_{a,y} (1 - e^{-F_{a,y} - M})\right] + \varepsilon_C$$

$$F_{a,y} = F_y S_a$$

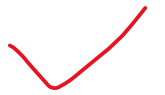
$$\text{Ln}(I_{j,a,y}) = \text{Ln}(q_{j,a} N_{a,y}) + \varepsilon_{j,1}$$

$$N_{a=1,y} = R_y$$

## New models to test spatial asynchrony hypotheses

### Models on spatial nonstationarity

M1	<b>Statistical catch-at-age model (SCA)</b> {Assume surveys are independent and represent population trend}
M2S	<b>A random effect SCA model (RSCA)</b> {Assume survey areas as random factors}
M3S	<b>A Conditional Autoregressive (CAR) SCA model (CARSCA)</b> {Assume neighboring areas have similar trends and influence each other}
M4S	<b>A spatial hierarchical SCA model with variance a function of the distance (SHSCA)</b> {Assume trends of all the areas are correlated, with the correlation larger if the distance closer }



Jiao et al  
2016.

## New models to test M hypotheses

### Models on M temporal changes

M1	SCA with constant known M
M2M	SCA with M unknown with white noise
M3M	SCA with age-specific M unknown with white noise
M4M	SCA with $M_y$ unknown and follow random walk process
M5M	SCA with age-specific M unknown and follow random walk process

✓  
Jiao et al  
2012.

# Method - models

1. Statistical catch-at-age model (SCA) with natural mortality ( $M$ ) fixed, and all survey indices ( $I_s$ ) independent and proportional to total population size ( $N$ ) ( $M1$ );
  2. SCA with  $M$  changing over time and following a random walk process ( $M2 = M4M$ );
  3. SCA with  $M$  fixed, but  $I_s$  represent spatial asynchrony of the population distribution ( $M3 = M2S$ );
  4. SCA model with  $M$  changing over time and following a random walk process, and  $I_s$  represent spatial asynchrony of the population distribution ( $M4 = \text{hybrid of } M4M \text{ and } M2S$ ).
- \* SCA with  $M$  changing over time and estimated through a change point models ( $M2C$ );
- \* SCA model with  $M$  changing over time and estimated through a change point models, and  $I_s$  represent spatial asynchrony of the population distribution ( $M4C$ ).

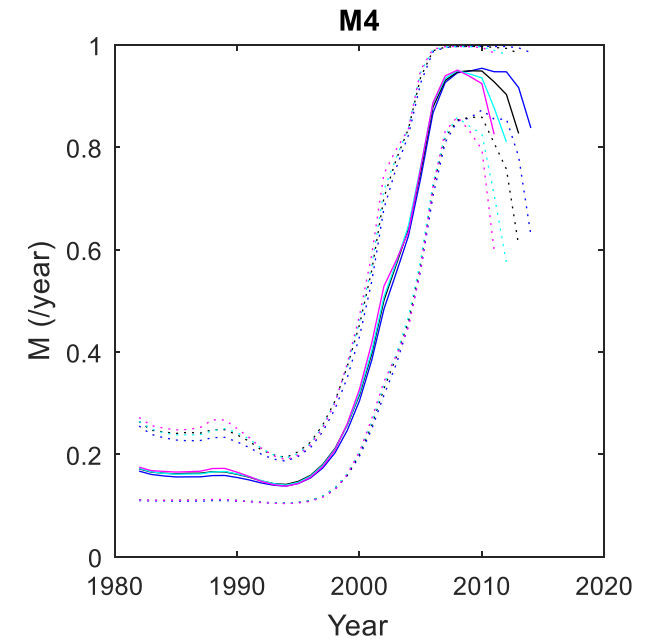
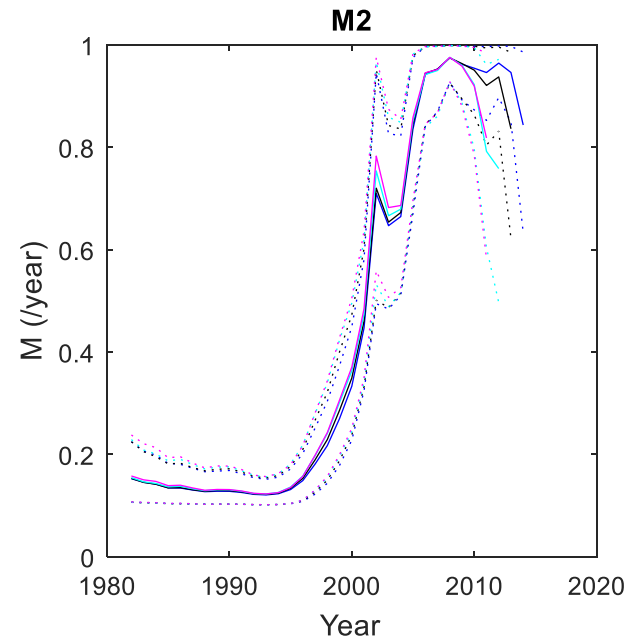
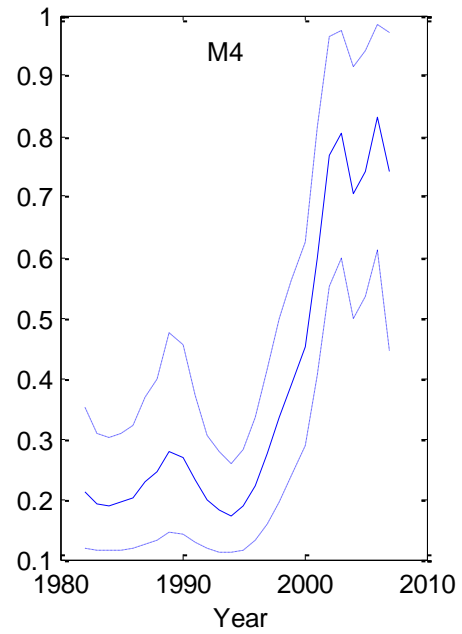
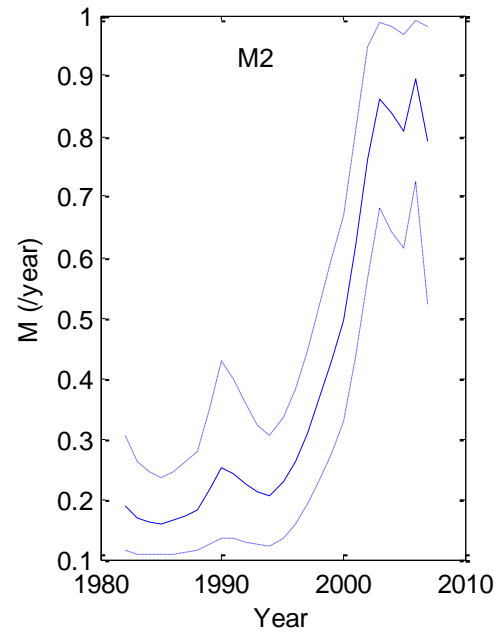
References: Jiao et al. (2012; 2016) ICES J. Mar Sci. ASMFC 2015, 2019.

# Estimation approach and model comparison

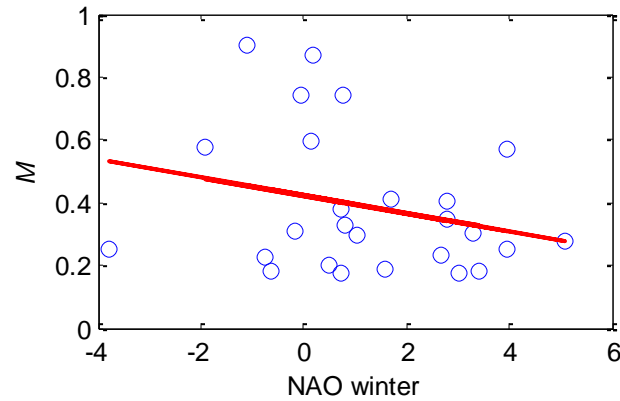
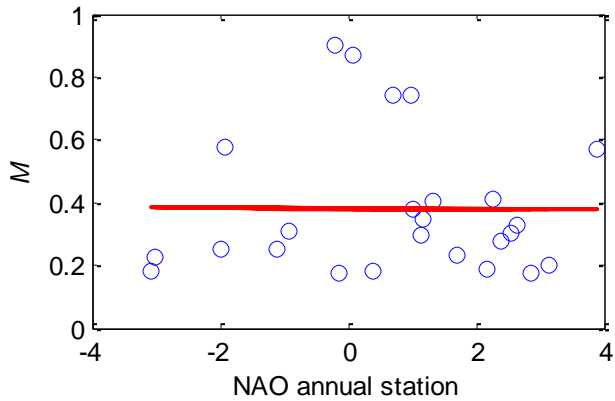
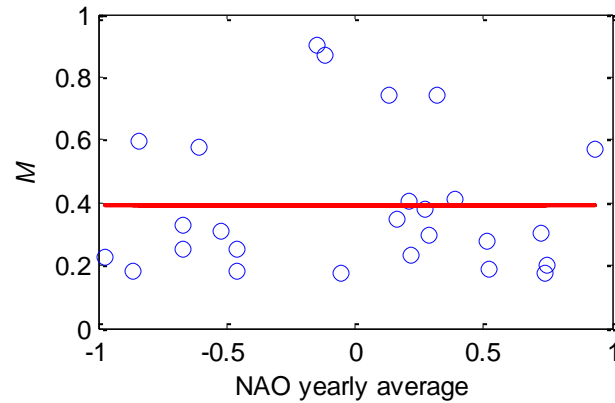
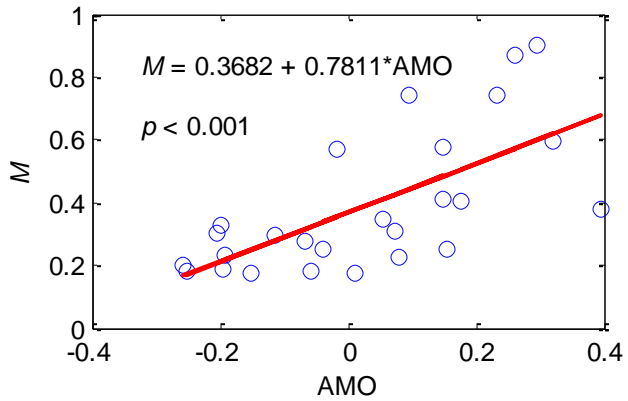
- Estimation approach
  - Bayesian approach
- Model comparison and posterior model selection
  - Deviance Information Criterion (DIC)
  - Retrospective error
  - Predictive ability
    - Predictive probability
    - The better the predictive ability the closer  $p_a$  value to 0.5



# Results – M

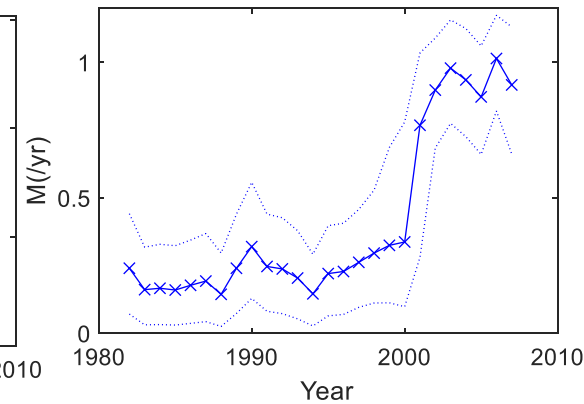
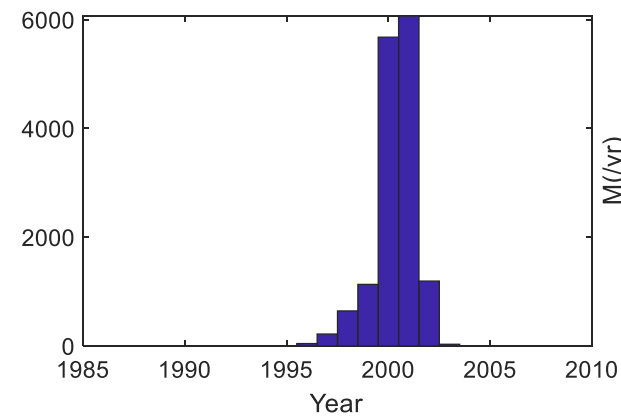


# Results – M

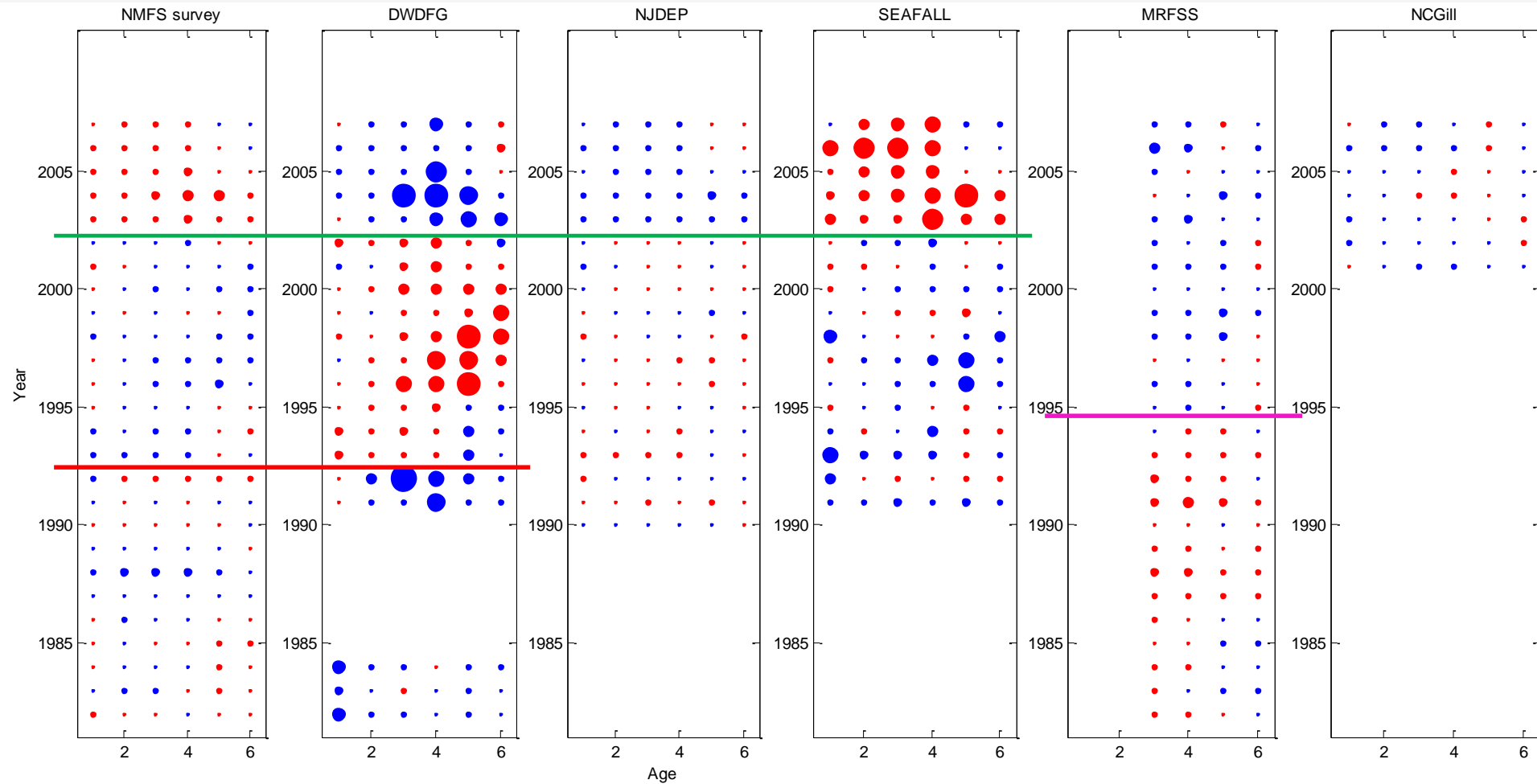


Models to change nonstationary models to stationary models

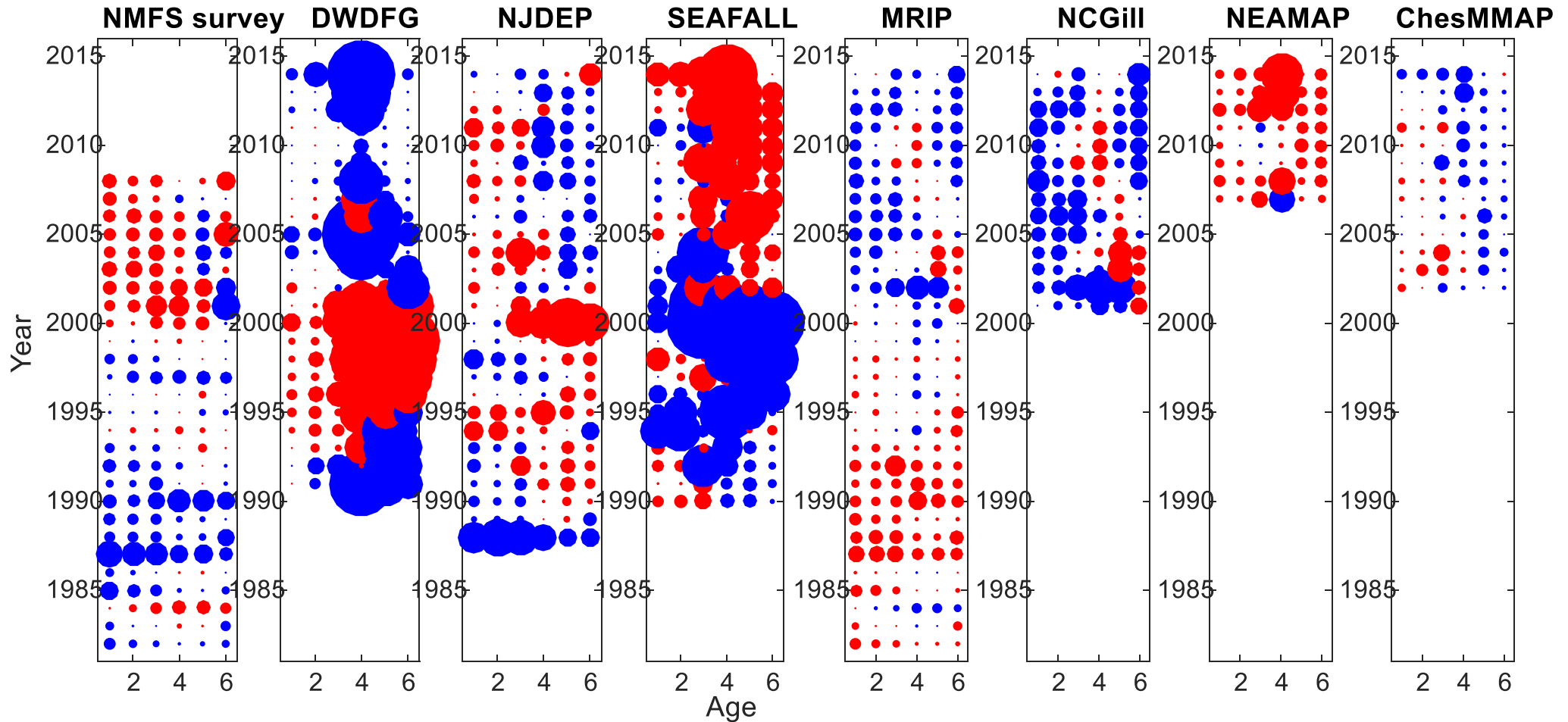
1. Include environmental factors in the models
2. Based on the pattern to recognize trends and shift



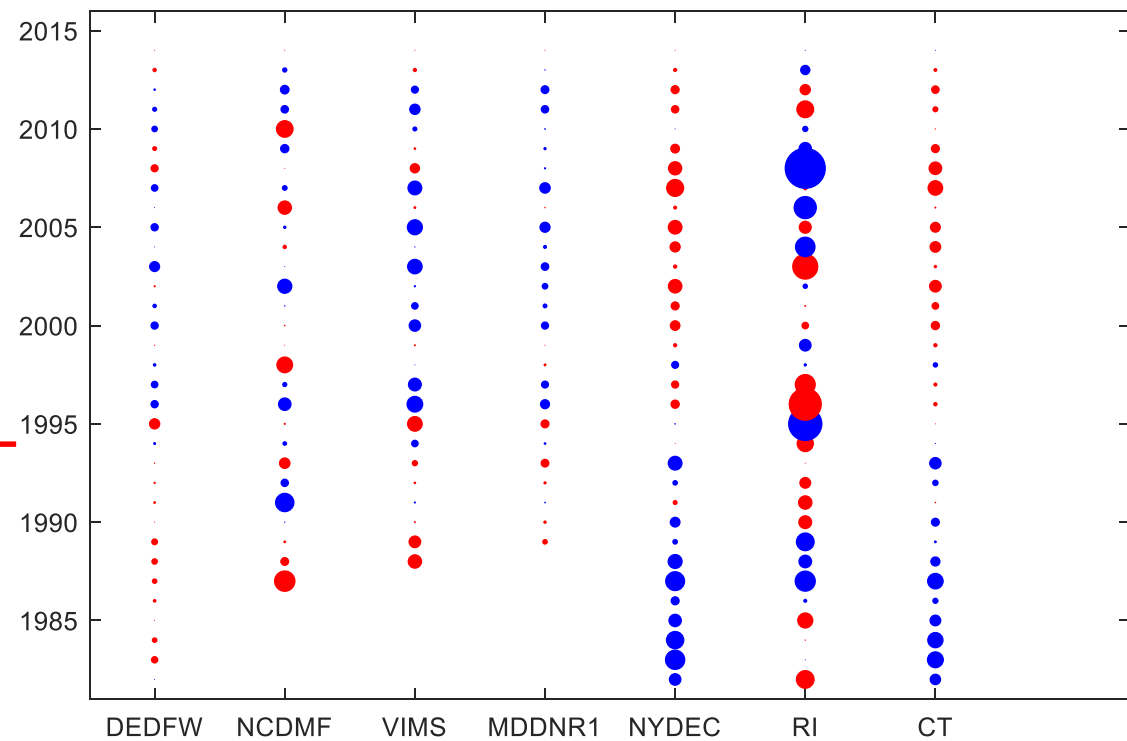
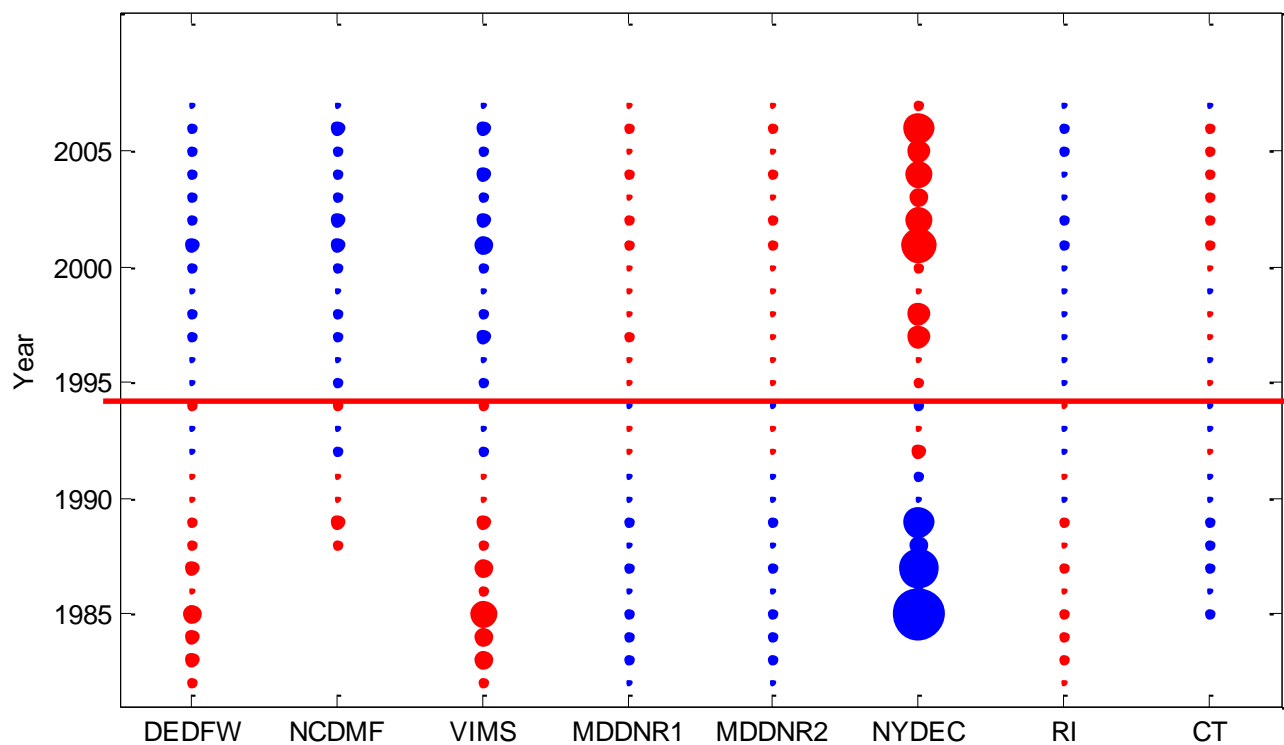
# Results (spatial synchrony/asynchrony)



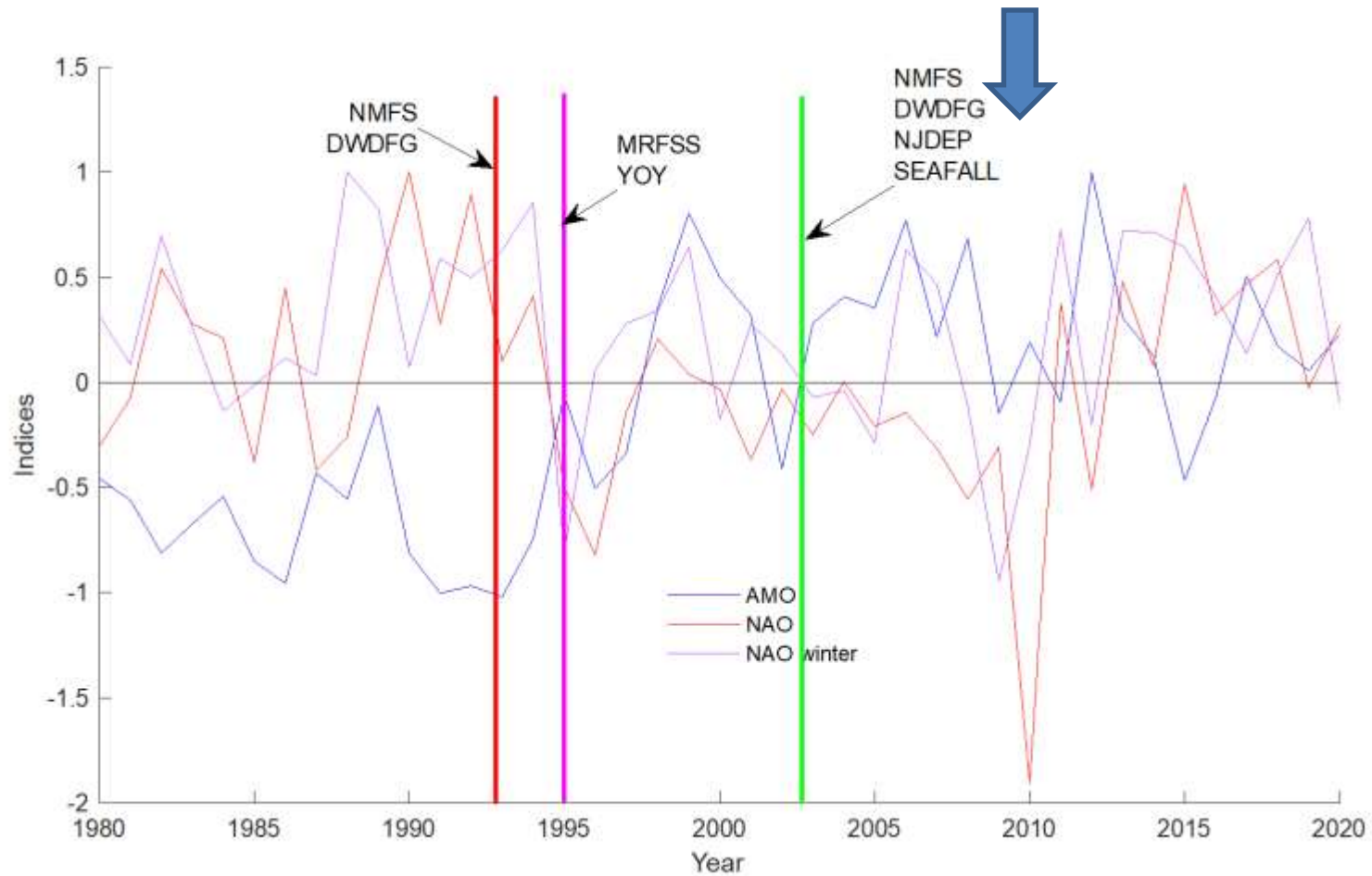
# Results – (spatial synchrony/asynchrony)



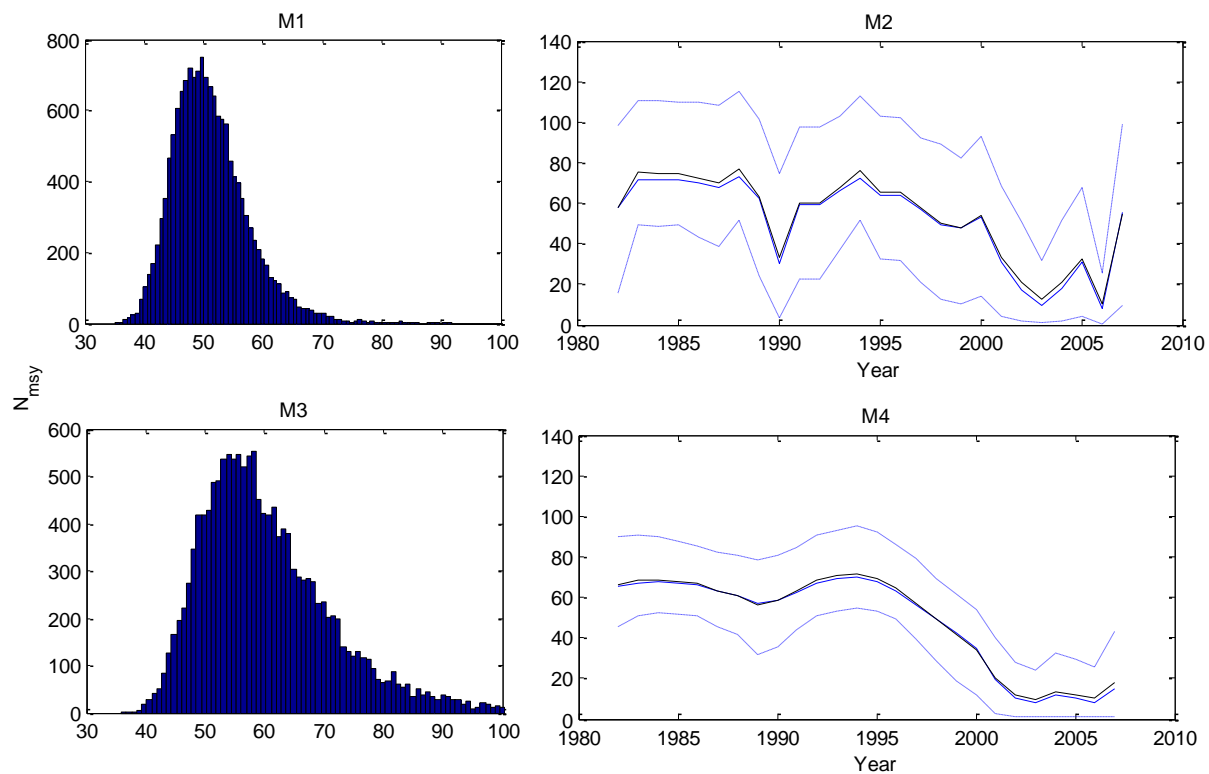
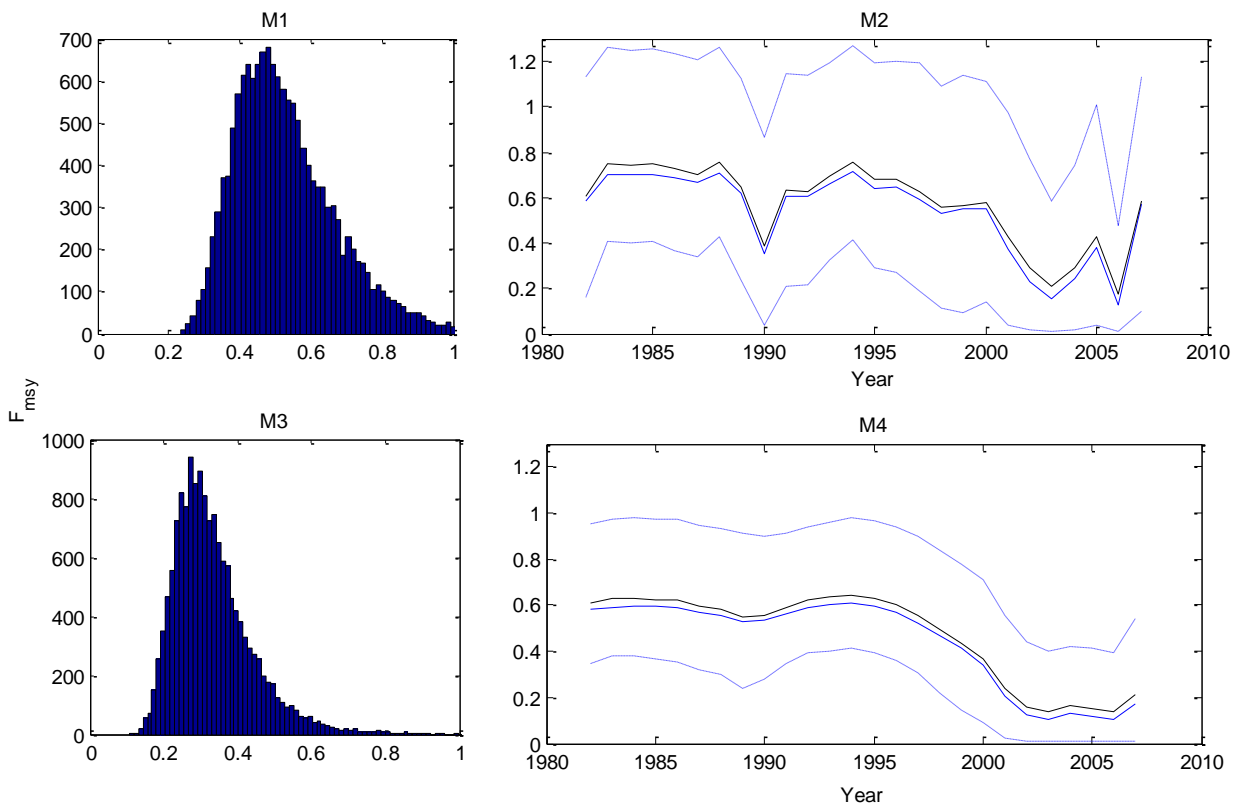
# Results (spatial synchrony/asynchrony)



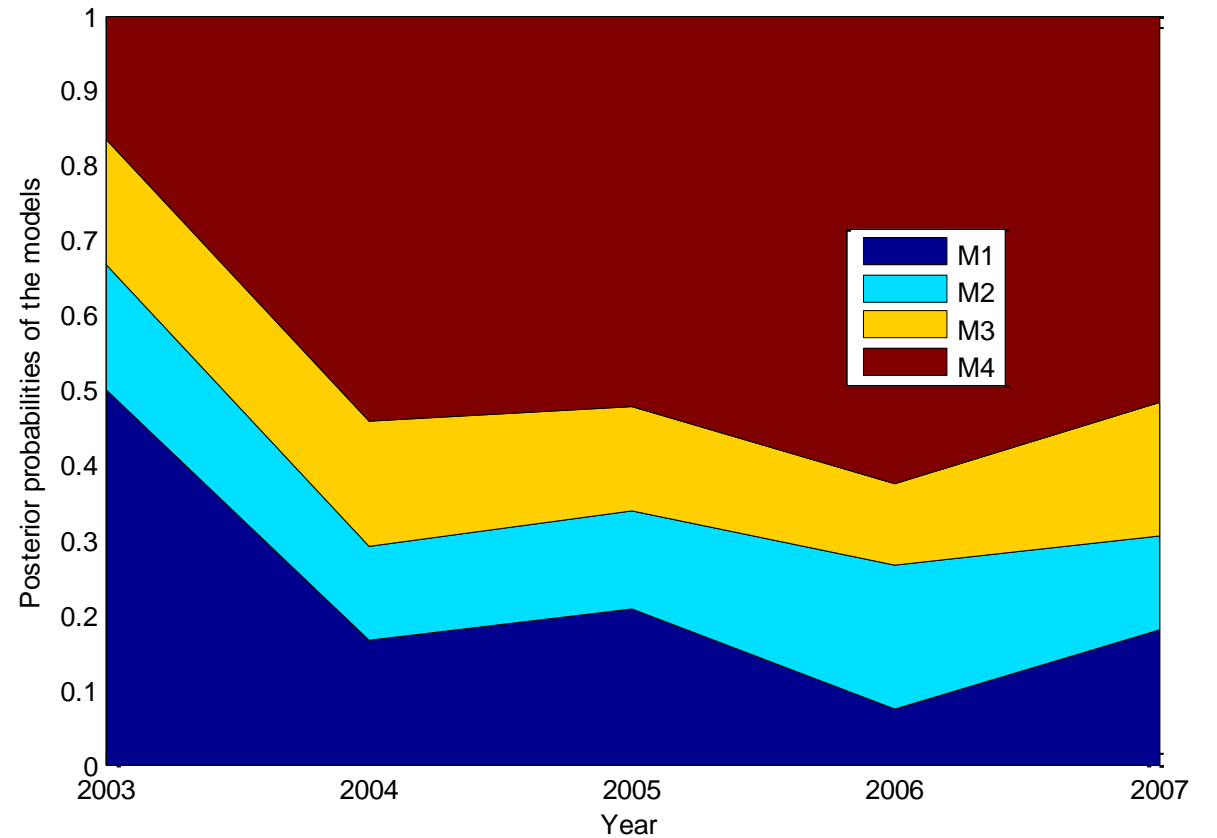
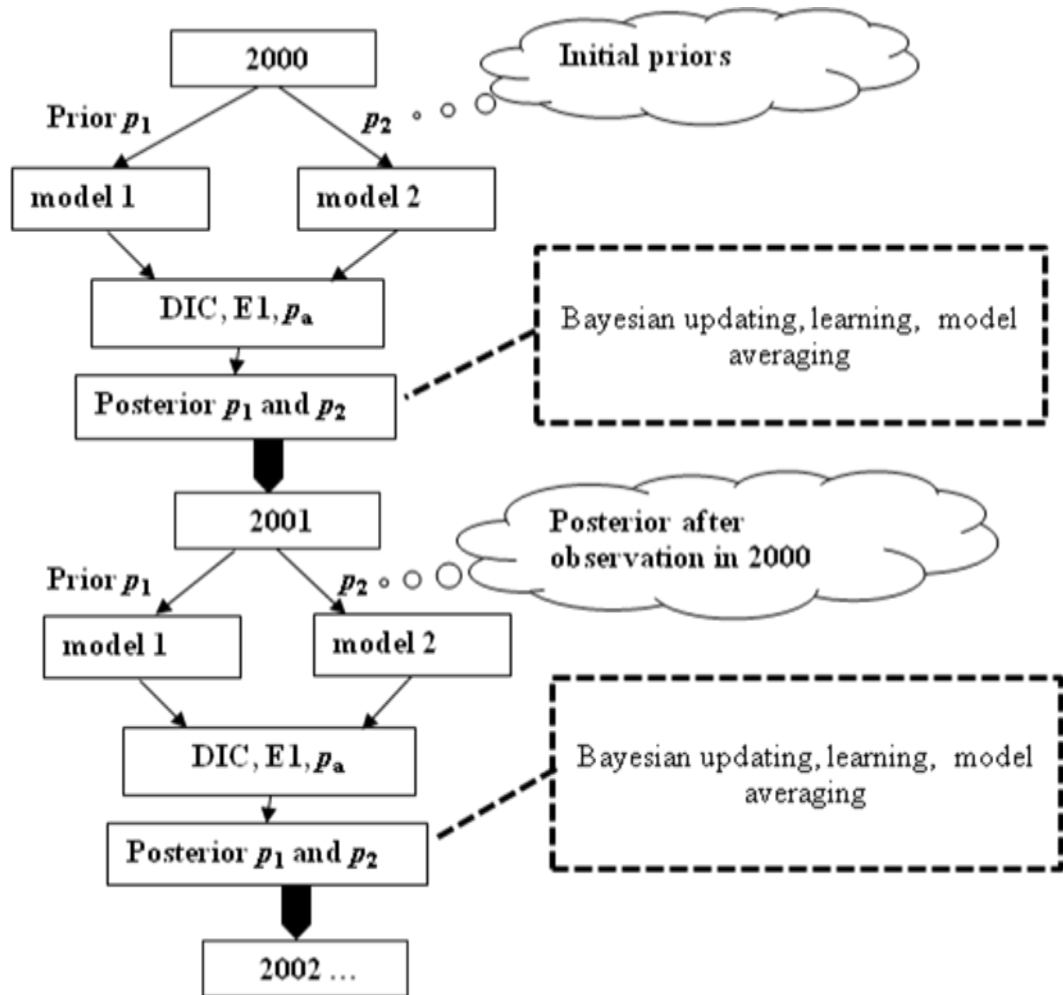
# Results (Environmental indicators)



# Results (BRPs)

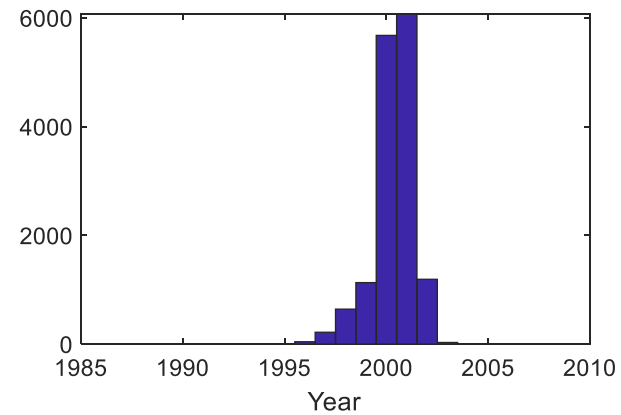
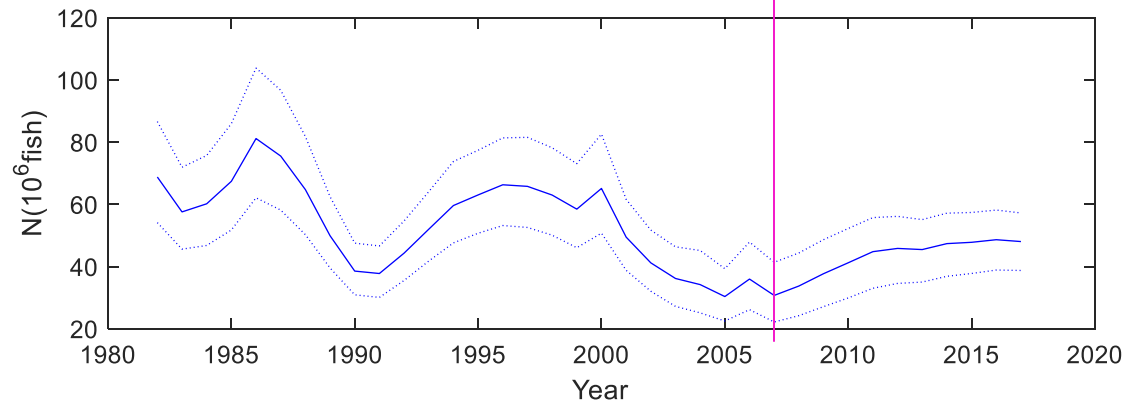
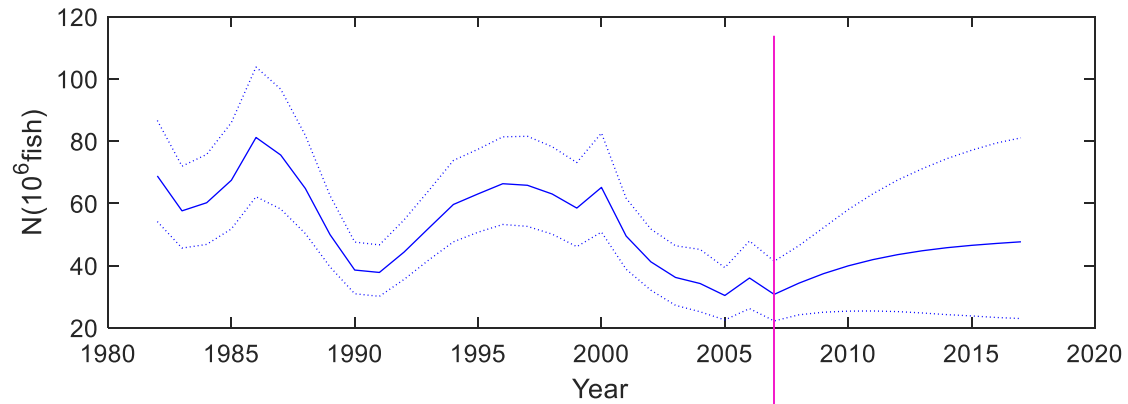


# Results (posterior probabilities of the models)





# Results (projection for management purposes)



## Implications of this study

- ❑ Incorporate spatial asynchrony reflected in different surveys is necessary for fisheries stock assessment
- ❑ Nonstationarity can be important in stock assessment when considering the ecosystem effect
  - We recommend nonstationary SCA models in stock assessment, at least testing such hypotheses
  - Strategies should be considered when projecting population by changing the nonstationary models to stationary models if possible for management purposes

## Implications of this study

For this case study:

- ❑ Weakfish have asynchronous spatial dynamics
  - less influenced by neighboring areas
  - but rather than the unique geographic locations, such as Chesapeake Bay, Delaware Bay, inshore and offshore
  - Can be linked to climate oscillation indices
- ❑ The variation of  $M$  over time is supported by the data, and further found to be correlated with AMO
  - How AMO and NAO inform  $M$  and spatial dynamics can be considered for future management purposes
  - Pattern recognition can be considered/modeled when including nonstationary processes in the models

# Acknowledgements

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- 😊 Atlantic States Marine Fisheries Commission
- 😊 USDA-Cooperative State Research, Education, and Extension Service (CSREES).
- 😊 Department of Fish and Wildlife Conservation, Virginia Tech
  
- 😊 Rob O'Reilly, Virginia Marine Resources Commission
- 😊 Jeff Brust, Pat Campfield, Lee Paramore, other SAS and TP members, ASMFC
- 😊 Students and postdoc: Josh Hatch, Qing He, Hao Yu, Andreas Winter





# Questions?

